Now let's look at important program "design patterns" for MapReduce.

## MapReduce Design Patterns

- This section is based on the book by Jimmy Lin and Chris Dyer
- Programmer can control program execution only through implementation of mapper, reducer, combiner, and partitioner
- No explicit synchronization primitives
- So how can a programmer control execution and data flow?

## Taking Control of MapReduce

- Store and communicate partial results through complex data structures for keys and values
- Run appropriate initialization code at beginning of task and termination code at end of task
- Preserve state in mappers and reducers across multiple input splits and intermediate keys, respectively
- Control sort order of intermediate keys to control processing order at reducers
- Control set of keys assigned to a reducer
- Use "driver" program

# (1) Local Aggregation

- Reduce size of intermediate results passed from mappers to reducers

   Important for scalability: recall Amdahl's Law
- Various options using combiner function and ability to preserve mapper state across multiple inputs
- For example, consider Word Count with the document-based version of Map

## Word Count Baseline Algorithm

map(docID a, doc d) for all term t in doc d do Emit(term t, count 1) reduce(term t, counts [c1, c2,...])
sum = 0
for all count c in counts do
sum += c
Emit(term t, count sum);

• Problem: frequent terms are emitted many times with count 1

## Tally Counts Per Document

map(docID a, doc d) H = new hashMap for all term t in doc d do H{t} ++ for all term t in H do Emit(term t, count H{t})

- Same Reduce function as before
- Limitation: Map only aggregates counts within a single document
- Depending on split size and document size, a Map task might receive many documents
- Can we aggregate across all documents in the same Map task?

## **Tally Counts Across Documents**

- Data structure H is a private member of the Mapper class
- Local to a single task, i.e., does not introduce task synchronization issues
- Initialize is called when the task starts, i.e., before all map calls
- Configure() in old API
- Setup() in new API
- Close is called after the last document from the Map task has been processed
  - Close() in old API
- Cleanup() in new API

Class Mapper { initialize() { H = new hashMap }

map(docID a, doc d) {
 for all term t in doc d do
 H{t} ++
}

close() { for all term t in H do Emit(term t, count H{t})

## Design Pattern for Local Aggregation

- In-mapper combining
- Done by preserving state across map calls in the same task Advantages over using combiners
- Combiner does not guarantee if, when or how often it is executed
- Combiner combines data *after* it was generated, inmapper combining avoids generating it!
- Drawbacks
  - Introduces complexity and hence probability for bugs
  - Higher memory consumption for managing state
  - Might have to write memory-management code to page data to disk

# (2) Counting of Combinations

- Needed for computing correlations, associations, confusion matrix (how many times does a classifier confuse Y<sub>i</sub> with Y<sub>i</sub>)
- Co-occurrence matrix for a text corpus: how many times do two terms appear near each other
- Main idea: compute partial counts for some combinations, then aggregate them

   At what granularity should Map work?







## Pairs versus Stripes

- Without combiner or in-mapper combining, Pairs could produce significantly more mapper output
  - ((w,u),1) per pair for Pairs, versus per-document aggregates for Stripes
- ...but it would need a lot less memory
  - Pairs essentially needs no extra storage beyond the current "window" of nearby words, while Stripes has to store the hash map H

## Pairs versus Stripes (cont.)

- With combiner or in-mapper combining, Map would produce about the same amount of data in both cases
  - Two-dimensional index Pairs[w][u] with per-task counts for each pair (w,u) is the same as onedimensional index of one-dimensional indexes (Stripes[w])[u]
- ...and would also require about the same amount of memory to store the twodimensional count data structure

# Pairs versus Stripes (cont.)

- Does the number of keys matter?
  - Assume we use the same number of tasks, then Pairs just assigns more keys per task
  - Master works with tasks, hence no conceptual difference between Pairs and Stripes
- More fine-grained keys of Pairs allow more flexibility in assigning keys to tasks
  - Pairs can emulate Stripes' row-wise key assignment to tasks
     Stripes cannot emulate all Pairs assignments, e.g., "checkerboard" pattern for two tasks
- Greater number of distinct keys per task in Pairs tends to increase sorting cost, even if total data size is the same

# **Beyond Pairs and Stripes**

- In general, it is not clear which approach is better
   Some experiments indicate stripes win for co-
- occurrence matrix computation • Pairs and Stripes are special cases of shapes for
- covering the entire matrix
  - Could use sub-stripes, or partition matrix horizontally and vertically into more square-like shapes etc.
- · Can also be applied to higher-dimensional arrays
- Will see interesting version of this idea for joins

# (3) Relative Frequencies

- Important for data mining
- E.g., for each species and color, estimate the probability of the color for that species
  - Probability of Northern Cardinal being red:
  - P(color = red | species = N.C.) • Count f(N.C.) = the frequency of observations for N.C.
    - (marginal)
  - Count f(N.C., red) = the frequency of observations for red N.C.'s (joint event)
  - Estimate P(red | N.C.) as f(N.C., red) / f(N.C.)
- Similarly: normalize word co-occurrence vector for word w

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# Bird Probabilities Using Stripes

- Use species as intermediate key
  - One stripe per species, e.g., stripe[N.C.]
  - (stripe[species])[color] stores f(species, color)
- Map: for each observation of (species S, color C) in an observation event, increment (stripe[S])[C]
   – Output (S, stripe[S])
- Reduce: for each species S, add all stripes for S

   Result: stripeSum[S] with total counts for each color for S
  - Can get f(S) by adding all color-counts in stripeSum[S]
  - Emit (stripeSum[S])[C] / f(S) for each color C

## Discussion, Part 1

- Stripe is great fit for relative frequency computation
- All values for computing the final result are in the stripe
- Any smaller unit would miss some of the joint events needed for computing f(S), the marginal for the species
  - So, this would be a problem for the pairs pattern

## **Bird Probabilities Using Pairs**

• Intermediate key is (species, color)

species S

- Map produces partial counts for each speciescolor combination in the input
- Reduce can compute f(species, color), the total count of each species-color combination
- But: it cannot compute the marginal f(S)
   Reduce needs to sum f(S, color) for all colors for

#### Pairs-Based Solution, Take 1

- Make sure all values f(S, color) for the same species end up in the same reduce task

   Define custom partitioning function on species
- Maintain state across different keys in the same reduce task: keep stripe[S] in memory as a variable in the Reduce task
  - This essentially simulates the stripes approach in the reduce task, requiring to keep a stripe in memory
- Can we avoid keeping a stripe?

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#### Discussion, Part 2

- Pairs-based algorithm would work fine if marginal f(S) was known already
  - A Reduce function call computes f(species, color) and then outputs f(species, color) / f(species)
- We could compute the species marginals f(species) in a separate MapReduce job first
- Better: fold this into a single MapReduce job

   Problem: easy to compute f(S) from all f(S, color), but
   how do we compute f(S) before knowing f(S, color)?

#### Bird Probabilities Using Pairs, Take 2

- Map: for each observation event, emit ((species S, color C), 1) and ((species S, dummyColor), 1) for each species-color combination encountered
- Use custom partitioner that partitions based on the species component only
- Use custom key comparator such that (S, dummyColor) is before all (S, C) for real colors C
  - Reduce call for dummyColor happens first and computes f(S) before any of the f(S, C)
  - Reducer needs to keep f(S) for the duration of the entire task
     Reducer then computes f(S, C) for each C, outputting f(S, C) / f(S)
- Only needs counter f(S), not the entire stripe, in memory

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## **Order Inversion Design Pattern**

- · Occurs surprisingly often during data analysis
- Solution 1: use complex data structures that bring the right results together
  - Array structure used by Stripes pattern
- Solution 2: turn synchronization into ordering problem

   Key sort order enforces computation order
  - Partitioner for key space assigns appropriate partial results to each reduce task
  - Reducer maintains task-level state across Reduce invocations
  - Enables use of simpler data structures and less reducer memory

# (4) Secondary Sorting

- Recall the weather data: for simplicity assume observations are (date, temperature)
- Goal: find max temperature for each year
   Reduce task should have all temperatures for a year: year as intermediate key
  - Temperatures in reduce input value list should be sorted in decreasing order by temperature
- Year as key does not sort by temperature
- (Year, temperature) as key creates different reduce calls for each temperature in a year

# Can Hadoop Do The Sorting?We want to use year to partition the data, but (year, temperature) for sorting

- General value-to-key conversion design pattern
  - To partition by X and then sort each X-group by Y, make (X, Y) the key
  - Define key comparator to order by composite key (X, Y)
  - Define partitioner and grouping comparator for (X, Y) to consider only X for partitioning and grouping

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<pre>@Override protected void reduce(IntPair key, Iterable<nullwritable> values, Context context) throws IOException, InterruptedException {     context.write(key, NullWritable.get());     } } The reducer only emits the first key, which due to secondary sorting, is the (year, temperature) pair with the maximum temperature for that year.</nullwritable></pre>	@Override protected void reduce(IntPair key, Iterable <nullwritable> values, Context context) throws IOException, InterruptedException { context.write(key, NullWritable.get()); }</nullwritable>	
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# **Design Pattern Summary**

- In-mapper combining: do work of combiner in mapper
- Pairs and stripes: for keeping track of joint events
- Order inversion: convert sequencing of computation into sorting problem
- Value-to-key conversion: scalable solution for secondary sorting, without writing sort code

## Tools for Synchronization

- Cleverly-constructed data structures for key and values to bring data together
- Preserving state in mappers and reducers, together with capability to add initialization and termination code for entire task
- Sort order of intermediate keys to control order in which reducers process keys
- Custom partitioner to control which reducer processes which keys

## **Issues and Tradeoffs**

- Number of key-value pairs
  - Object creation overhead
  - Time for sorting and shuffling pairs across the network
- Size of each key-value pair

   (De-)serialization overhead
- Local aggregation
  - Opportunities to perform local aggregation vary
  - Combiners can make a big difference
  - Combiners vs. in-mapper combining
  - RAM vs. disk vs. network