

CS4910: Deep Learning for Robotics

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T/F, 3:25-5:05pm
Behrakis Room 204

https://www.ccs.neu.edu/home/dmklee/cs4910_s22/index.html

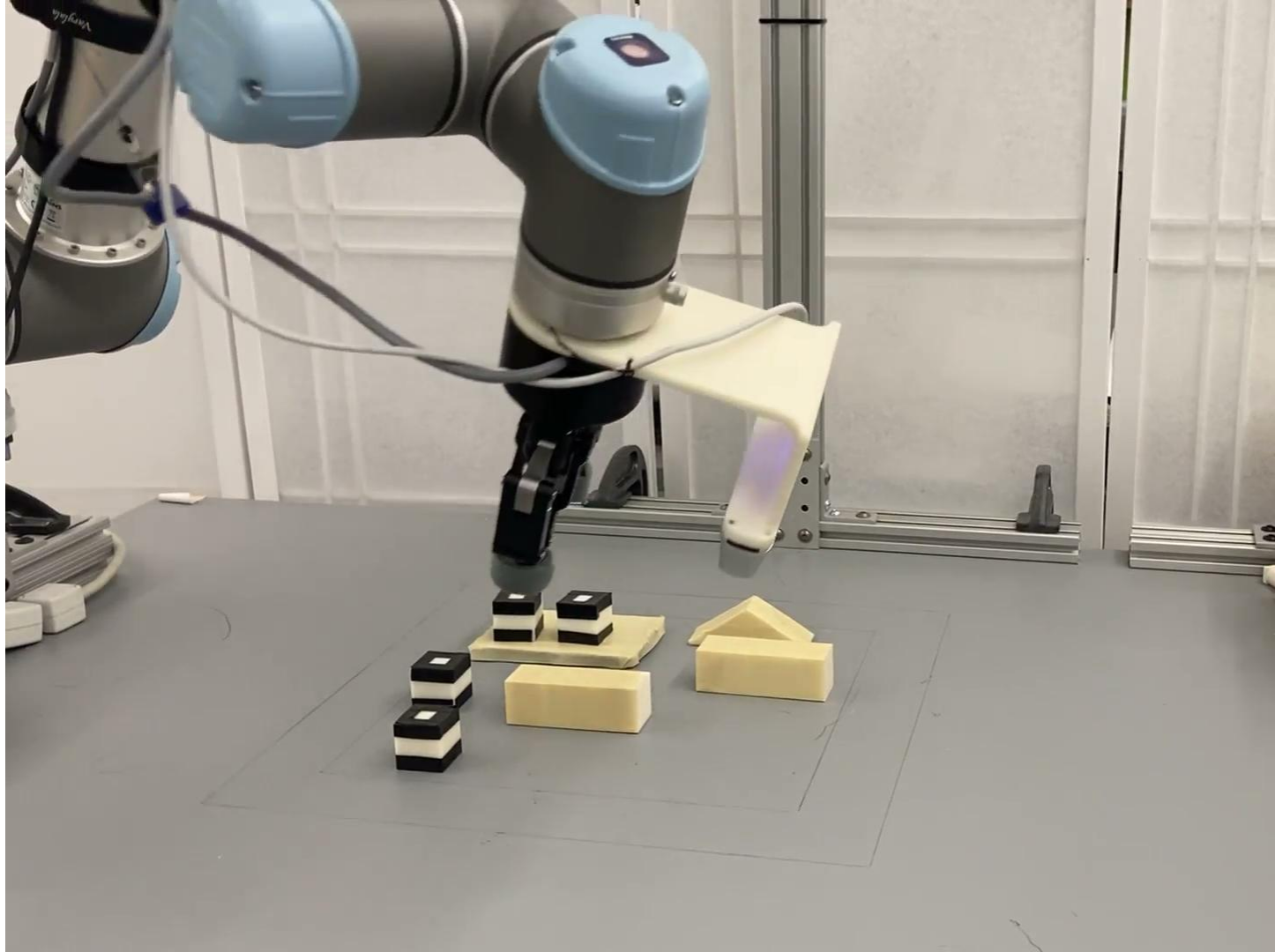
<https://piazza.com/northeastern/spring2022/cs4910a/home>

Simulating Robots

Today's Agenda

1. Understand how robots are modeled in simulators
2. Learn commands for interacting with robot
3. Compete in a drag race
4. Learn how to place sensors in simulator
5. Hand out robots

Why use a simulator?



Why use a simulator?

The Good:

- Much cheaper than real world
- Some algorithms are not safe to run on real robot
- Faster ideation and testing of new setups or robot parts
- Data collection is ***much*** faster
- Access to privileged information

The Bad:

- Difficult to achieve photorealism
- Contact dynamics are not perfect
- Researchers are less impressed

The Ugly:

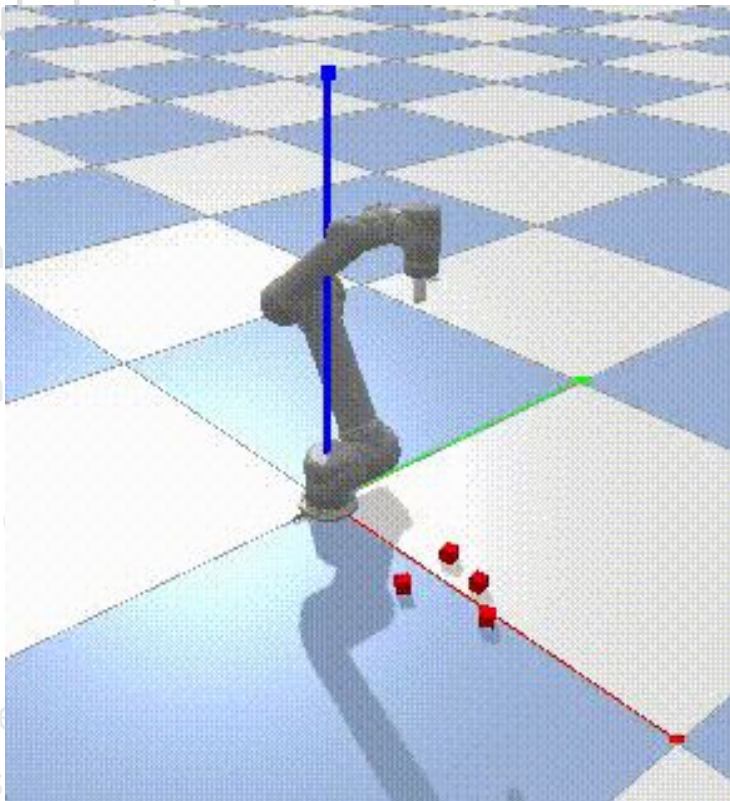
Why use a simulator?

The Good:

- Much cheaper than real hardware
- Some algorithms are not possible in the real world
- Faster ideation and prototyping
- Data collection is easier
- Access to privileged information

The Bad:

- Difficult to achieve high fidelity
- Contact dynamics are hard to model
- Researchers are less impressed

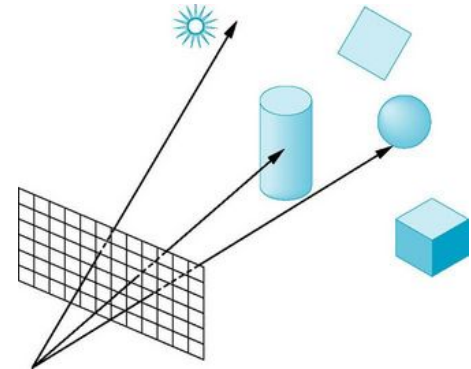
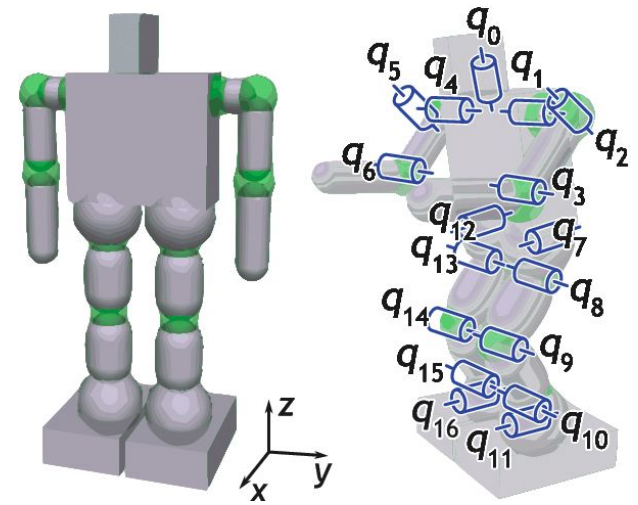


Simulators in a nutshell

1. Simulating Physics (*rigid-body*)
2. Rendering

Abstractions to create Environments/Tasks

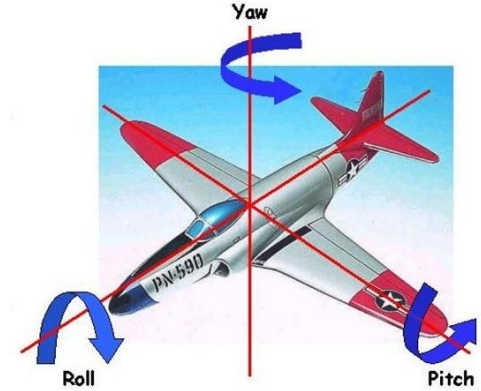
May support Motion Planning



Rotations and Translations

Talk about Euler angles, quaternions, rotation matrices

Roto-translation matrices



Transformation Matrices

$\mathbf{T} \in \mathcal{R}^{4 \times 4} \leftarrow$ transformation matrix

$\mathbf{R} \in \mathcal{R}^{3 \times 3} \leftarrow$ rotation matrix

$\vec{t} \in \mathcal{R}^3 \leftarrow$ translation vector

$\tilde{x} = \begin{bmatrix} \vec{x} \\ 1 \end{bmatrix} \in \mathcal{R}^4 \leftarrow$ homogeneous vector

$$\mathbf{T} = \left[\begin{array}{c|c} \mathbf{R} & \mathbf{t} \\ \hline \mathbf{0}^T & 1 \end{array} \right]$$

$$\tilde{x}' = \mathbf{T}\tilde{x} = \mathbf{R}\vec{x} + \vec{t}$$

in-class exercise:

$$T^{-1} = ?$$

Transformation Matrices

$\mathbf{T} \in \mathcal{R}^{4 \times 4} \leftarrow$ transformation matrix

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$$\tilde{x}' = \mathbf{T}\tilde{x} = \mathbf{R}\vec{x} + \vec{t}$$

$$\mathbf{T}^{-1} = \left[\begin{array}{c|c} \mathbf{R}^T & -\mathbf{R}^T \mathbf{t} \\ \hline \mathbf{0}^T & 1 \end{array} \right]$$

Make example of rotation in xy plane

T =

$\left[\begin{array}{c|c} \end{array} \right]$

Furthering your understanding

[Scipy.spatial.rotations Library](#)

Visualizing transformations:

```
$ python examples/rotation_translation_visualizer.py
```

A robot is described as a set of links and joints

Links : physical body with appearance, inertia and collision shape

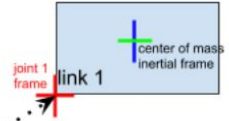
Joints : constraint on how two links interact

(fixed)

Information on links and joints are described in a Unified Robot Description Format (URDF), and saved as a “.urdf” file.

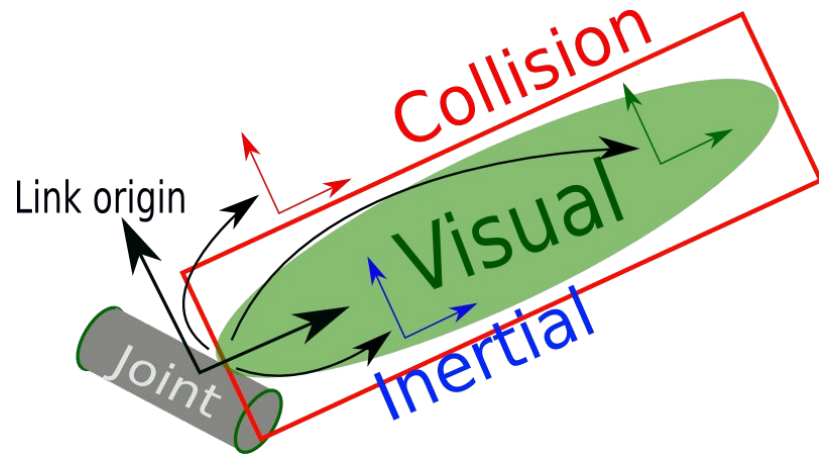
Only

- the links must form a ‘tree’
- # links = # joints

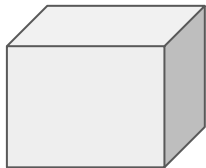


Links

```
1 <link name="my_link">
2   <inertial>
3     <origin xyz="0 0 0.5" rpy="0 0 0"/>
4     <mass value="1"/>
5     <inertia ixx="100" ixy="0" ixz="0" iyy="100" iyz="0" izz="100" />
6   </inertial>
7
8   <visual>
9     <origin xyz="0 0 0" rpy="0 0 0" />
10    <geometry>
11      <box size="1 1 1" />
12    </geometry>
13    <material name="Cyan">
14      <color rgba="0 1.0 1.0 1.0"/>
15    </material>
16  </visual>
17
18  <collision>
19    <origin xyz="0 0 0" rpy="0 0 0"/>
20    <geometry>
21      <cylinder radius="1" length="0.5"/>
22    </geometry>
23  </collision>
24 </link>
```

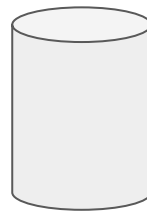


Types of geometry



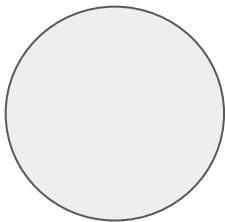
box

size reflects side length
origin at center



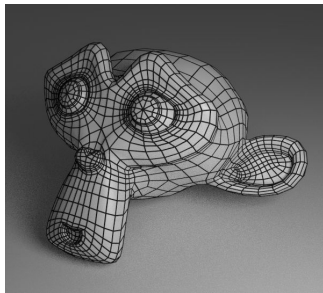
cylinder

has radius and length
origin at center



sphere

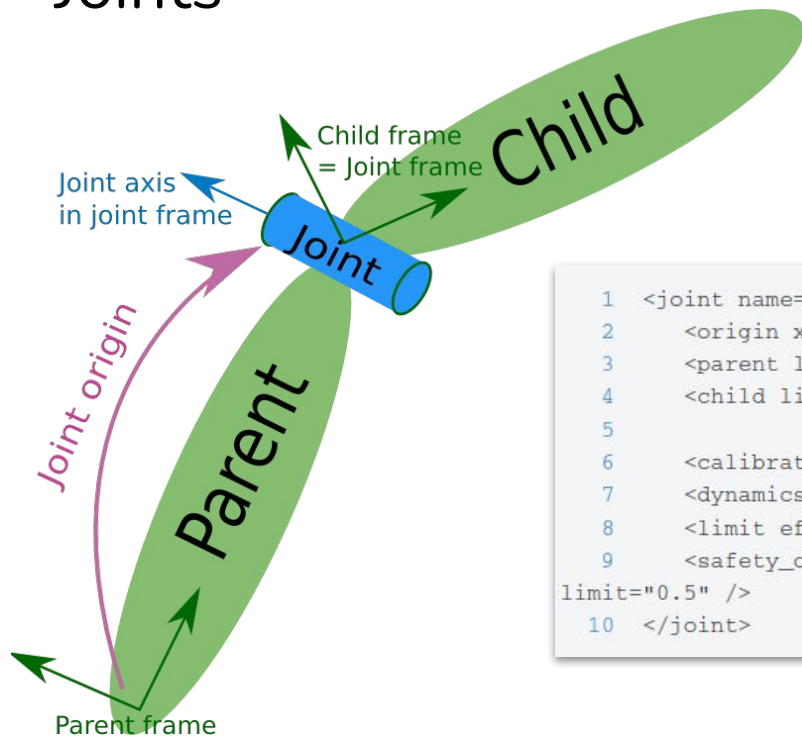
has radius
origin at center



mesh

uses .obj or .dae file
can be slow for collision checking

Joints



```
1 <joint name="my_joint" type="floating">
2   <origin xyz="0 0 1" rpy="0 0 3.1416"/>
3   <parent link="link1"/>
4   <child link="link2"/>
5
6   <calibration rising="0.0"/>
7   <dynamics damping="0.0" friction="0.0"/>
8   <limit effort="30" velocity="1.0" lower="-2.2" upper="0.7" />
9   <safety_controller k_velocity="10" k_position="15" soft_lower_limit="-2.0" soft_upper_
limit="0.5" />
10 </joint>
```


Types of Joints

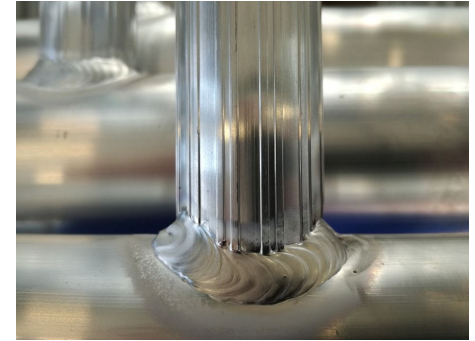
Most common for
robotic arms



revolute
has upper, lower limits



continuous
no limits



fixed
no movement



prismatic
*slides along single axis,
has upper, lower limits*



floating
*rarely used, since there are
no constraints*

Relevant Pybullet Commands

pb.getNumJoints -> gets number of joints/links

pb.getJointInfo -> allows you to match joint/link names to ids

pb.resetBasePositionAndOrientation -> moves base of robot

pb.getLinkStates -> provides pose and velocity of robot links

pb.getJointState -> provides joint position, velocity, and forces

Drag racing in Pybullet

Play around with URDF, points for speed and style:

```
$ python examples/drag_racing.py
```

You can change anything but MAX_FORCE

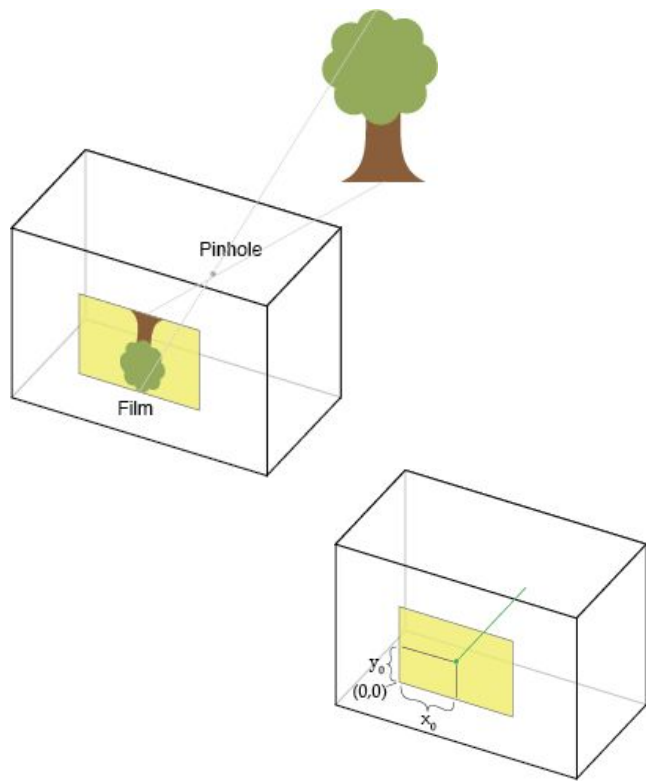
For more details...

[General Tutorials](#) [using ROS]

[Parametrizing URDF with xacro](#)

[Creating Robots programmatically with Pybullet\](#)

Rendering images with virtual camera



Intrinsic Matrix (Projection Matrix)

$$K = \begin{pmatrix} f_x & s & x_0 \\ 0 & f_y & y_0 \\ 0 & 0 & 1 \end{pmatrix}$$

$f_x = f_y =$ focal length

$x_0, y_0 =$ center of pixel space

Rendering images with virtual camera

Extrinsic Matrix (View Matrix)

$$V = \left[\mathbf{R} \mid \vec{t} \right]$$

\mathbf{R} = rotation from world to camera

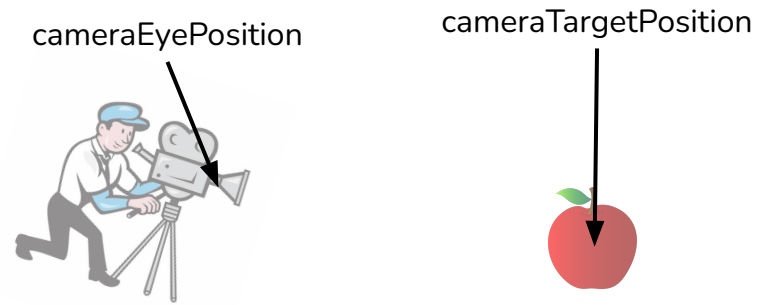
\vec{t} = translation from world to camera

Converting world point to pixel space

$$\vec{x}_{pixel} = \mathbf{KV} \vec{x}_{world}$$

View Matrix in Pybullet (Two ways)

```
pb.computeViewMatrix(cameraEyePosition,  
                    cameraTargetPosition,  
                    cameraUpVector)
```



(cameraUpVector is usually $\langle 0, 1, 0 \rangle$)

```
pb.computeViewMatrixFromYawPitchRoll(  
    cameraTargetPosition,  
    distance,  
    yaw,  
    pitch,  
    roll,  
    upAxisIndex=2,  
)
```

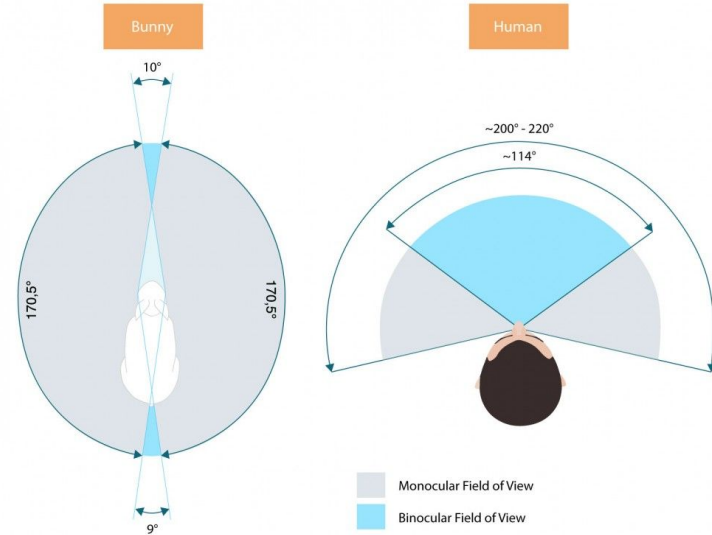
View Matrix is a flattened version of the full transformation matrix that converts from world to camera coordinates:

```
T_world2cam = np.reshape(view_mtx, (4,4), order='F')
```


Projection Matrix in Pybullet

```
pb.computeProjectionMatrixFOV(fov, #degrees  
                               aspect=1,  
                               nearVal,  
                               farVal)
```

nearVal & farVal are especially important if you are using a depth sensor since they define the range of output



Rendering an Image in Pybullet

```
w, h, rgb_img, depth_img, seg_img = pb.getCameraImage(width,  
                                                       height,  
                                                       view_matrix,  
                                                       proj_matrix,  
                                                       **kwargs)
```



More information about rendering

[Useful discussion of how pybullet constructs intrinsic matrix](#)

Script for placing camera in Pybullet with GUI:

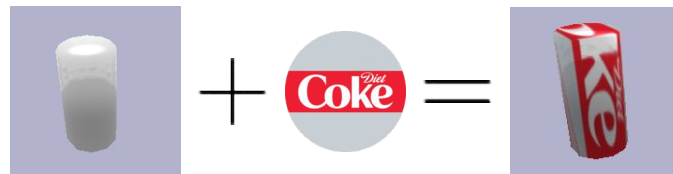
```
$ python examples/easy_pybullet_camera_placement.py
```

Changing Visual Appearance

To avoid creating new URDF's for all possible appearances, it is often easier to use Python commands

Note: `rgbaColor` will not work if a texture is already loaded

Note: for advanced textures, it is best to use 3D design software

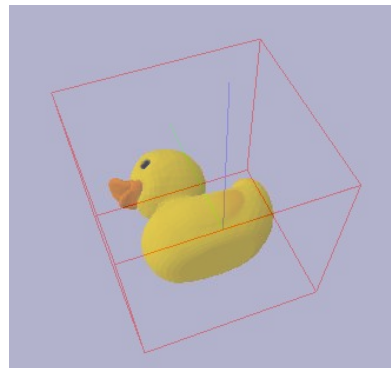


```
pb.loadTexture("example_texture.png")
pb.changeVisualShape(objectUniqueId: int, linkIndex: int,
                      textureUniqueId: int,
                      rgbaColor: vec4)
```

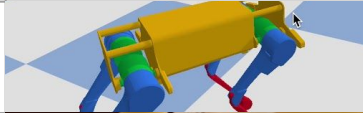

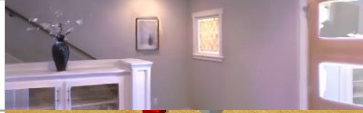




Detecting Collisions

- Collision information is generated during each `pb.stepSimulation()`
- Alternatively, use `pb.performCollisionDetection()` to avoid stepping simulator
 - useful for motion planning to check *if* a collision might occur
- To access collision information, use `pb.getContactPoints` or `pb.getClosestPoints`
- `URDF_USE_SELF_COLLISION` in `pb.loadURDF`

$\text{minXYZ, maxXYZ} \leftarrow \text{pb.getAABB}$



Selection of alternative simulators for robotics/learning

Name	Maintained by	Uses/Known for	Appearance
PyBullet	Google Brain	This class	
DRAKE	MIT & TRI	Robotics/Optimization	
Habitat	FAIR +	Navigation	
RLBench	Imperial College	Robotic Manipulation	
SAPIEN	UCSD +	Mobile robotics	
Mujoco	DeepMind	RL environments	
Gazebo	OSRF	With ROS	

Survey to provide feedback



<https://forms.gle/9pTWc3EAY8LtPvF98>

Handing out robots

URDFs : robots first (joints/links, material), then objects

Positioning and rotations

Performing motor commands (with inverse kinematics)

Adjusting dynamics (drag race a car)

Adjusting apperance, adding materials

Sensors : fundamentals of rendering, view matrix, proj matrix

Example (mounting sensor on robot arm)

Example: implement suction cup

Additional: mention support for soft body physics, custom constraint for walking

Mention other simulators out there