Key Distribution and Agreement Schemes

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Key Establishment Problem

PK cryptosystems have advantages over SK cryptosystems
 PKCs do not need a secure channel to establish secret keys
 However, PKCs generally less efficient than SKCs
 So you often want SKCs anyways

The problem: n agents on an insecure network
 Want to establish keys between pairs of agents to communicate securely

Distribution vs Agreement

Secret Key Distribution Scheme (SKDS):

- Assume a special entity in the network, a Trusted Authority (TA)
- TA chooses a secret key for communicating, and transmits it to parties that wants to communicate

Key Agreement Scheme (KAS):
 Two or more parties want to establish a secret key on their own

Main Goal of Schemes

At the end of an exchange:
Two parties share a key K
The value of K is not known to any other party
Except maybe the TA

Sometimes want more: mutual identification (chap. 9)
 No honest participant in a session of the scheme will accept after any interaction in which an adversary is active

Long-Lived vs Session Keys

LL keys:
 Long-lived keys, usually shared between TA and users

Session keys:
Used for a session-based communication

Why the distinction?
Limit amount of ciphertext available to an attacker
Limit exposure in event of key compromise
Assuming session keys do not reveal info about LL keys or other session keys

Attacker Models

May or may not be a user in the system
 insider vs outsider attacker

May be passive or active
Alter messages in transit (including intercepting)
Save messages for later reuse
Attempt to masquerade as other users

Possible Attacker Objectives

Passive objectives:
 Determine some (partial) information about key exchanged by users

Active objectives:
Fool U and V into accepting an "invalid" key
E.g. an old expired key, or a key known to adv
Make U and V believe they have exchanged a key with each other when that is not the case

Extended Attacker Models

 Known session key attack:
 Attacker learns session keys, want other session keys (as well as LL keys) to remain secret

Known LL key attack:
 Attacker learns LL keys of a participant, want previous session keys to remain secret
 Perfect forward secrecy

This is not a property of a cryptosystem, but of how a cryptosystem is used!



ID(Alice) || ID(Bob) || rA



Bob

TA

$t_{Bob} = e_{KBob}$ (K || ID(Alice))

Bob

eKAlice (rA || ID(Bob) || K || tBob)





















 e_{K} (r_B-1)

Bob



Denning-Sacco Attack on NSS

Known session key attack

Suppose Oscar eavesdropped on the messages exchanges in an old session between Alice and Bob (which used key K)

Oscar sends intercepted ticket t_{Bob} to Bob
 Bob replies with $e_K(r_B)$ for some random r_B Oscar can decrypt and send back $e_K(r_B-1)$

Key K is not (necessarily) known to Bob's intended recipient Alice
 Key K is know to Oscar



ID(Alice) || ID(Bob) || r_A Alice \longrightarrow Bob

TA

ID(Alice) || ID(Bob) || $r_A || r_B$

Alice

Bob

TA

екаlice (К) || MACAlice (ID(Bob) || ID(Alice) || ra || екаlice (К))

Bob

Alice

TA

еквоь (К) || MACBob (ID(Alice) || ID(Bob) || r_B || еквоь (К))

Alice

Bob

Key Agreement Scheme: Diffie-Hellman Scheme

G a group and $\alpha \in G$ of order n

 α^a

Bob

b



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Key Agreement Scheme: Diffie-Hellman Scheme

G a group and $\alpha \in G$ of order n

Alice

۵

 α^{b}

Bob b

aa

Key Agreement Scheme: Diffie-Hellman Scheme

G a group and $\alpha \in G$ of order n

Alice a α^{b} K = $(\alpha^{b})^{a}$

Bob b α^a K = $(\alpha^a)^b$

Computational Diffie-Hellman Problem

For the previous scheme to be secure, need for the group G and α to be such that:
 Given α^a and α^b, it is hard to find α^{ab}

Can show (6.7.3) that if you can solve the CDH problem, then you can solve the discrete log problem in G

Man-in-the-Middle Attack on DHS

Oscar sits between Alice and Bob and substitutes his own messages



G a group and $\alpha \in G$ of order n Cert(U) = (ID(U), ver_U, sig_{TA} (ID(U), ver_U))

 α^{a} , Cert(Alice)

Bob

b



۵

G a group and $\alpha \in G$ of order n Cert(U) = (ID(U), veru, sigta (ID(U), veru))

 α^{b} , sig_{Bob} (ID(Alice)|| α^{a} || α^{b}), Cert(Bob) Alice \leftarrow Bob

b

aaa

G a group and $\alpha \in G$ of order n Cert(U) = (ID(U), ver_U, sig_{TA} (ID(U), ver_U))

sig_{Alice} (ID(Bob) $\|\alpha^{a}\|\alpha^{b}$)

a

 α^{b}

Alice

αa

b

Bob

G a group and $\alpha \in G$ of order n Cert(U) = (ID(U), veru, sigta (ID(U), veru))

Alice ۵ α^{b} $K = (\alpha^b)^a$

Bob b α^{a} K = $(\alpha^{a})^{b}$

Other Schemes

Other schemes are modifications of DH-style schemes to reduce computation, or the amount of data the needs to be exchanged

MTI Schemes
Does not require users to sign messages
Put α^a in certificates
Girault Scheme
Does not require certificates
Need to go through a TA
Encrypted Key Exchange
Encrypt DHS exponents using a shared key