Relational Calculus and Relational Algebra Review DDL and DML SQL

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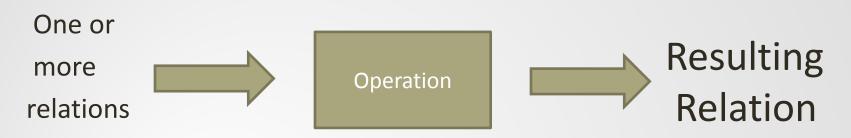
Outline for today

- Review of Chapter 4
 - Quantifiers
 - Relational Algebra & Relational Calculus
- Introduce examples from the text
 - Students, Courses, Lecturers
 - Boats, Sailors, Reservations
- Review of DDL SQL Queries
- Introduction to the SELECT command
 - Basics, Set operations, Nested Queries, Aggregation functions
- Additional information for the homework assignment

Data manipulation via Relational Algebra

- Data is represented as mathematical relations.
- Manipulation of data (query and update operations) corresponds to **operations** on relations
- Relational algebra describes those operations
- Relational algebra contains two kinds of operators:
 - common set-theoretic operators
 - operators specific to relations (for example projection of columns).

Relational Algebra



- A collection of operations that users can perform on relations to obtain a desired result (which is also a relation)
- For each operation (steps in the computation), both the operands and the result are relations
- Basic (Relational) operations:
 - Selection (σ): Selects a subset of tuples from a relation.
 - Projection (π): Selects columns from a relation.
 - Cross-product (×): Allows us to combine two relations.
 - Set-difference (): Tuples in relation 1, but not in relation 2.
 - Union (\cup): Tuples in relation 1 and in relation 2.
- Relational Algebra treats relations as sets: duplicates are removed

Example: Different solutions – same

| anciar | S1 | SID | Name | Logir | | DoB | | GPA | |
|---|--|---------------------|--------|-------------|--------------|-------|----------|------|--|
| answer | 31 | 55515 | Smith | smith | n@ccs | Jan 1 | 0,1990 | 3.82 | |
| | | 55516 | Jones | jones | @hist | Feb 1 | 1, 1992 | 2.98 | |
| Find the names of | | 55517 | Ali | ali@r | nath | Sep 2 | 2, 1989 | 3.11 | |
| students registered for | | 55518 | Smith | smith | n@math | Nov 3 | 30, 1991 | 3.32 | |
| History 101 | | | | | | | | | |
| Solution1: $\pi_{Name}((\delta_{cid} = 'H))$ | istory | , _{101′} C | ourse | s) 🖂 | 1 S1) | | | | |
| Solution2: $\pi_{Name}(\delta_{cid} = '_{His})$ | tory 1 | 101' (C | ourses | \bowtie | 51)) | | | | |
| Solution3: $ ho$ (Temp1, (δ_{cid} _ | Solution3: $\rho(\text{Temp1, } (\delta_{cid} _ '_{History 101'} \text{ Courses}))$ | | | | | | | | |
| ρ(Temp2,(Temp1 ⋈S1)) | | | | | | | | | |
| $\pi_{\scriptscriptstyle Name}$ (Temp2) | | Si C1 | d | Cld | | Grade | | | |
| | | | 515 | History 101 | (| C | | | |

Answer

Name Smith

Ali

| Siu | Ciù | Graue |
|-------|-------------|-------|
| 55515 | History 101 | С |
| 55516 | Biology 220 | А |
| 55517 | History 101 | В |
| 55518 | Music 101 | А |

5

Example: 3 Table join

Find the lecturers teaching History 101 Whose Students GPA >3.2 Solution1: π_{Name} $((\pi_{Sid,GPA}(\delta_{GPA} > 3.2 S1)) \bowtie ((\delta_{cid} = 'History 101' C1) \bowtie \delta_{cid} = 'History 101' L1))$

Solution2:

ρ(Temp1,

 $(\delta_{cid} = 'History 101' \text{ C1}))$ $\rho(\text{Temp2, (Temp1 \Join \delta_{cid} = 'History 101' \text{ L1})})$ $\rho(\text{Temp3, } (\pi_{Sid,GPA}(\delta_{GPA} > 3.2 \text{ S1}))$ $\bowtie \text{ Temp2}))$ $\pi_{Name}(\text{Temp3})$

| C 4 | | | | | | | | | | | | |
|------------|--|------------|------------|-------|-----|------------|---------------|------------|----------------|------|----|-----|
| S1 | _ | <u>SID</u> | | Nam | е | Login | | DoB | | GPA | | |
| | | 5551 | 5 | Smit | h | smith@ccs | | Jan 10, | Jan 10,1990 | | | |
| | | 5551 | 6 | Jones | | jones@hist | | Feb 11 | Feb 11, 1992 | | | |
| | | 5551 | 7 | Ali | | ali@math | | Sep 22 | , 1989 | 3.11 | | |
| | | 5551 | 8 | Smit | h | smith@r | math | Nov 30 | , 1991 | 3.32 | | |
| 1 | | | | | | | C1 | | | | | |
| 1 | L | D | Na | me | CID | | | <u>Sid</u> | <u>Cld</u> | LID | Gr | ade |
| | 4 | | Fis Alc | | | ory 101 | | 55515 | History 101 | 45 | С | |
| | 4 | - | Wo | | | ory 101 | | 55516 | History 101 | 47 | A | |
| | 4 | 8 | Fos | ster | | | | 55517 | History 101 | 45 | В | |
| | | | | | | 55518 | Music 101 | 48 | A | | | |
| | Answer Why did I need $\pi_{Sid,GPA}$ to use a natural join? | | | | | | | | | 5) | | |
| | Na | ame | | | | | | | join? | | | |
| | Fisk | | | | y | other a | her solution? | | | | | |

Table

Instances

B1

- We will use these instances of the Sailors and Reserves relations in our examples.
- If the key for the Reserves relation contained only the attributes sid and bid, how would the semantics differ?

| BID | BName | Color | | R1 | |
|-----|-----------|-------|------------|-----|----------|
| 101 | Interlake | blue | <u>SID</u> | BID | DAY |
| 102 | Interlake | red | 22 | 101 | 10/10/96 |
| 103 | Clipper | green | 58 | 103 | 11/12/96 |
| 104 | Marine | red | | | |
| S | L | | | | |

| <u>SID</u> | Sname | Rating | Age |
|------------|--------|--------|------|
| 22 | Dustin | 7 | 45.0 |
| 31 | Lubber | 8 | 55.5 |
| 58 | Rusty | 10 | 35.0 |
| S2 | | | |
| <u>SID</u> | Sname | Rating | Age |
| 28 | Yuppy | 9 | 35.0 |
| 31 | Lubber | 8 | 55.5 |
| 44 | Guppy | 5 | 35.0 |
| 58 | Rusty | 10 | 35.0 |

Relational calculus

- A formal, logical description, of what you want from the database
- Sometimes describing the set you desire is easier than figuring out the operations you need to do to get to the desired set
- Case in point: Division

Division Operation in RA A/B

- Given 2 relations A (courses) and B (students); A/B = let x, yA be two attributes in A and yB is an attribute in B with the same domain as the domain of yB
- A/B = {<x> such that for all <y> in B there exists <x ,y> an element of A = {< x > | ∀< y > ∈ B ∃ < x, y > ∈ A}
- A/B contains all x tuples (courses) such that for every y tuple (students) in B, there is an xy tuple in A.
- Or: If the set of y values (courses) associated with an x value (students) in A contains all y values in B, the x value is in A/B.
 - In general, x and y can be any lists of attributes
 - y is the list of fields in B, and x U y is the list of fields of A.

Example of division

Table A

| Student ld (x) | Course Id (y) |
|----------------|---------------|
| 10 | cs200 |
| 10 | cs100 |
| 10 | cs300 |
| 10 | cs400 |
| 20 | cs300 |
| 30 | cs200 |
| 15 | cs400 |
| 15 | cs100 |
| 25 | cs100 |
| 25 | cs200 |

| Course Id | |
|-----------|--|
| cs200 | |

A/B

В

| Student Id |
|------------|
| 10 |
| 30 |
| 25 |

10

Basic operations for Division

- Compute all x values in A that are not disqualified
 - How is a value disqualified?
 - If by attaching a y value from B, we obtain a tuple NOT in A
 - $\pi_x((\pi_x(A) \ge B) A)$

• $\pi_x(A) - \pi_x((\pi_x(A) \times B) - A)$

Step by step process of Division

| | | В | Course Id | | | | |
|----------------|---------------|---|-------------------------|-----------------|---------------|--------------------------|-----|
| A | | | cs200 | | (π(| $_{\alpha}(A) \ge B$ - A | |
| Student Id (x) | Course ld (y) | | $(\pi_x(A) \ge B)$ | | | | |
| 10 | cs200 | | 0 000 | | 20, c | cs200 | |
| 10 | cs100 | | L0, cs200 | | 15,cs | s200 | |
| 10 | cs300 | 2 | 20, cs200 | | | | |
| 10 | cs400 | 3 | 30, cs200 | | | | |
| 20 | cs300 | 1 | L5,cs200 | | | | |
| 30 | cs200 | 2 | 25, cs200 | $\pi(A) -$ | π ((π | $T_{x}(A) \ge B - A$ | A) |
| 15 | cs400 | | | $n_{\chi}(\Pi)$ | $n_{\chi}((n$ | Student Id | |
| 15 | cs100 | | -((-(A)-D)) | | | 10 | |
| 25 | cs100 | Π | $T_x((\pi_x(A) \ge B))$ | -A) | | | |
| 25 | cs200 | | 20 15 | | | 30 25 | |

Division via Relational Calculus

- Select students who have taken all courses
- Algebra :
- $\pi_x(A) \pi_x((\pi_x(A) \times B) A)$
- Calculus:
- {<N> | \exists I, L, D, G (< I, N, L, D, G > \in S1 \land \forall <I,C,G> \in C1 (\exists <Ic,C,G> \in C1 \land (S1.I = C1.Ic))}
- $\{ <I > | \exists C (< I, C > \in S1 \land \forall <C > \in C1 (\exists <Ic > \in C1 \land (S1.I = C1.Ic)) \}$
- SO MUCH EASIER

Unsafe queries

- Queries that have an infinite number of responses yet are syntactically correct
- Simple example all students not in the table

 $\{S \mid -(S \in Students)\}$

- Expressive theorem: every query that can be expressed in relational algebra can be expressed as a safe predicate calculus formula
- Relational completeness of a query language: every query that can be expressed in relational algebra can be expressed in the language

Summary

- The relational model has rigorously defined query languages
 simple and powerful.
- Relational algebra is more operational
 - useful as an internal representation for query evaluation plans.
- Relational calculus is non-operational
 - Users define queries in terms of what they want, not in terms of how to compute it. (*Declarative*)
- Several ways of expressing a given query
 - a *query optimizer* should choose the most efficient version.
- Algebra and safe calculus have same expressive power
 - leads to the notion of *relational completeness*.

Onto SQL

- Review of DDL
- Introduction to DML (SELECT command)



SQL

SQL provides

- A data definition language (DDL)
- A data manipulation language (DML)
- A data control language (DCL)

- SQL can be used from other languages
- SQL Is often
 extended to provide
 common
 programming
 constructs (such as if
 then tests, loops,
 variables, etc.)
 Example T-SQL

DDL – CREATE TABLE

CREATE TABLE (<col-def-1>, <col-def-2>, ... <col-def-n>, <constraint-1>, ...

<constraint-k>)

• You supply

- name for the table
- A list of column definitions
- A list of constraints (such as keys)

DDL – What is a Column Definition?

- <col-name> <type>
 [NULL|NOT NULL]
 - [DEFAULT <value>]
 - [constraint-1],
 - [constraint-2], [...]]]

- Each column has a
 - Name
 - Data Type
- Common data types
 - INT
 - REAL
 - CHAR(n)
 - VARCHAR(n)
 - DATE

DDL: Column Specifications

- Columns can be specified as NULL or NOT NULL
- NOT NULL columns cannot have missing values
 - If neither is given, then columns are allowed to have **NULL** values
- Columns can be given a default value
 - You just use the keyword DEFAULT followed by the value, e.g.: fieldnum INT DEFAULT 0
- Example: CREATE TABLE Student (stuID INT NOT NULL, stuName VARCHAR(50) NOT NULL,
- stuAddress VARCHAR(50), stuYear INT DEFAULT 2017)

DDL: Constraints

- CONSTRAINT <name> <type> <details>
 - Common **<type>**s
 - PRIMARY KEY
 - UNIQUE
 - FOREIGN KEY
 - INDEX
- Each constraint may be given a name –

Most RDMS requires a name, but some others don't

 Constraints which refer to single columns can be included in the column definition

DDL: Primary Keys

- Primary Keys are defined through constraints
- A PRIMARY KEY constraint also includes a UNIQUE constraint and makes the columns involved NOT NULL
- The <details> for a primary key is a list of columns which make up the key
- CONSTRAINT <name> PRIMARY KEY (col1, col2, ...)

DDL : UNIQUE

- Any set of columns can be specified as UNIQUE
 - This has the effect of making candidate keys in the table
 - The <details> for a unique constraint are a list of columns which make up the candidate key
- CONSTRAINT <name> UNIQUE (col1, col2, ...)
- Example: CREATE TABLE Student
- (stuID INT NOT NULL,
- stuName VARCHAR(50) NOT NULL,
- stuAddress VARCHAR(50),
- stuYear INT DEFAULT 2017,
- CONSTRAINT pkStudent PRIMARY KEY (stuID),
- **CONSTRAINT uniqueName stuName**)

DDL: Foreign Keys

- Foreign Keys are also defined as constraints
 - You need to provide:
 - The columns which make up the Foreign Key
 - The referenced table
 - The columns which are referenced by the Foreign Key
- CONSTRAINT <name> FOREIGN KEY (col1, col2,...) REFERENCES [(ref1, ref2,...)]
- If the Foreign Key references the Primary Key of you don't need to list the columns

DDL: Example with constraints

- CREATE TABLE Enrollment (stuID INT NOT NULL,
- modCode CHAR(6) NOT NULL,
- enrAssignment INT,
- enrExam INT,
- CONSTRAINT enrPK PRIMARY KEY (stuID, modCode),
- CONSTRAINT enrStu FOREIGN KEY (stuID) REFERENCES Student (stuID),

CONSTRAINT enrMod FOREIGN KEY (modCode) REFERENCES Module (modCode))

DDL Language: Alter Table

ALTER TABLE can

- Add a new column
- Remove an existing column
- Add a new constraint
- Remove an existing constraint
- To add or remove columns use command
 - ALTER TABLE ADD COLUMN <colname, type>
 - ALTER TABLE DROP COLUMN <name>
- Examples
 - ALTER TABLE Student ADD COLUMN Degree VARCHAR(50)
 - ALTER TABLE Student DROP COLUMN Degree

DDL: Add constraint using ALTER

- Used when you want to add or drop a constraint after the table has been created
- ALTER TABLE ADD CONSTRAINT <definition> (as defined previously)
- ALTER TABLE DROP CONSTRAINT <name> (only need name of constraint to drop)
- Examples
 - ALTER TABLE Module ADD CONSTRAINT ck UNIQUE (title)
 - ALTER TABLE Module DROP CONSTRAINT ck

Other DDL Commands

- **DROP** deletes a table
- INSERT add a row to a table
- UPDATE change row(s) in a table
- **DELETE** remove row(s) from a table
- UPDATE and DELETE use 'WHERE clauses' to specify which rows to change or remove
 - BE CAREFUL with these an incorrect WHERE clause can destroy lots of data

Chapter 5: SELECT command

Basic DML SQL command for retrieval

SELECT [DISTINCT] target-list FROM relation-list WHERE qualification

- Relation-list: List of tables names [possibly with a range variable (alias) after each name]
 - You can also specify a database name
 - Databasename.tablename
- Target-list: list of attributes wanted from the relation-list
 - Databasename.tablename.fieldname
- Qualification: comparisons (Attribute op const or Attribute op Attribute2, where op is one of (<,>,=,<=,>=,<>) can combine with AND, OR and NOT
- DISTINCT: Optional keyword indicating that the answer should not have duplicates
 - Default: duplicates are not eliminated

Conceptual Evaluation Strategy

- Semantics of an SQL query defined in terms of the following conceptual evaluation strategy
 - Compute the cross product of relation-list
 - Discard resulting tuples if they fail qualifications
 - Delete attributes that are not in target-list
 - If distinct is specified, eliminate duplicate rows
- This strategy is probably the LEAST EFFICIENT way to compute a query
- Query optimizer should find more efficient strategies to compute the same answer

Example of Conceptual Evaluation

SELECT S.sname from sailors S, Reserves R where S.sid = R.sid and R.bid = 103

| (sid) | sname | rating | age | (sid) | bid | day |
|-------|--------|--------|------|-------|-----|----------|
| 22 | Dustin | 7 | 45.0 | 22 | 101 | 10/10/96 |
| 22 | Dustin | 7 | 45.0 | 58 | 103 | 11/12/96 |
| 31 | Lubber | 8 | 55.5 | 22 | 101 | 10/10/96 |
| 31 | Lubber | 8 | 55.5 | 58 | 103 | 11/12/96 |
| 58 | Rusty | 10 | 35.0 | 22 | 101 | 10/10/96 |
| 58 | Rusty | 10 | 35.0 | 58 | 103 | 11/12/96 |

| (sid) | sname | rating | age | (sid) | bid | day | |
|-------|-------|--------|------|-------|-----|----------|--|
| 58 | Rusty | 10 | 35.0 | 58 | 103 | 11/12/96 | |

32

Range variables or Aliases

- Are only necessary when you need to distinguish items within the query
 - Same named field or table
- Shows good coding practice
 - Less typing

 SELECT S.sname from sailors S, Reserves R where S.sid = R.sid and R.bid = 103

Equivalent

 SELECT sname, from Sailors, Reserves where sailors.sid = Reserves.sid and bid = 103

Find sailors who have reserved at least one boat

- What affect would adding a DISTINCT make on this query
- What is the effect of replacing S.sid by
 S.name in the SELECT clause? Do we still need a DISTINCT?

SELECT S.sid from Sailors, Reserves R where S.sid = R.sid

SELECT S.sid from Sailors S Join Reserves R on S.sid = R.sid

Expressions and Strings

- SELECT S.age, Age1=s.age-5, 2*S.age as Age2 from Sailors S where S.name like 'B_%B'
- Returns triples of Ages for sailors whose names begin and end with B that are at least 3 characters long

- Can do computation within a SELECT statement
- Can assign variables to that computation using 2 different syntax
- Can do pattern matching using the like operator
 - % 0 or more characters
 - Any one character

Find sids of sailors who have reserved a red **or** green boat

- UNION computes the union of any two union-compatible sets
 - typically intermediate results
- Other set operator EXCEPT returns tuples in the first set that are not found in the Second Set
 - Not supported by MySQL there is a workaround use NOT EXIST
- What happens if we replace the OR in the qualifier with and AND ?

SELECT s.SID FROM Sailors S, Boats B, Reserves R where S.sid = R.sid and R.bid = B.bid and (B.color = 'red' OR B.color = 'green')

SELECT s.SID FROM Sailors S, Boats B, Reserves R where S.sid = R.sid and R.bid = B.bid and (B.color = 'red')

UNION

SELECT s.SID FROM Sailors S, Boats B, Reserves R where S.sid = R.sid and R.bid = B.bid and (B.color = 'green') Find the sid's of sailors who have reserved a red boat **and** a green boat

- Solution using a join
- Can also be solved using Intersect
 - MySql does not support Intersect
 - Workaround is to use EXISTS involves a subquery – will cover when we discuss subqueries

 SELECT S.sid from Sailors S, Boats B1, **Reserves R1, Boats** B2, Reserves R2 where S.sid=R1.sid and R1.bid=B1.bid and S.sid=R2.sid and R2.bid=B2.bid and (B1.color = 'red' and B2.color = 'green')

Nested queries

- Find names of sailors who have reserved boat #103
- SELECT S.name from Sailors S where S.sid in (SELECT R.sid from Reserves R where R.bid = 103)
- For each Sailor tuple check the Sid against the return of the nested query

- Where clause can be a complete query
 - Also true for FROM clause and HAVING clause
- In clause can be negated
 - Variable not in (...)
- Semantics for a nested query similar for a nested loop in programming

Nested queries with correlation

- SELECT names of sailors who have reserved boat #103
- SELECT S.sname from Sailors S where exists (SELECT * from Reserves R where R.bid = 103 and S.sid = R.sid)

Exists tests to see if the return set is empty

Set Operations

- IN, EXISTS, ANY as well as negation of these
- Missing Unique and Intersect in My SQL
- An **ANY** example:
- SELECT S.name from Sailors S where rating > any (SELECT S2.rating from Sailors S2 where S2.name = 'Horatio')
- Find sailors with a higher rating than Horatio

Getting around no INTERSECT operator in MySQL

- Find sailor ids that have reserved a red boat and also a green boat
- SELECT s.sid from Sailors s, Boats B, Reserves R where S.sid =R.sid and R.sid=B.sid and B.color='red' and S.sid in (SELECT S2.sid Sailors S2, Boats B2, Reserves R2 where S2.sid=R2.sid and R2.bid = B2.bid and B2.color = 'green')
- Use IN to define the opposing set

Division in SQL - MYSQL

 SELECT S.name, from Sailors S where not exists (SELECT B.bid from Boats B where not exists (SELECT R.bid from Reserves R where R.bid = B.bid and R.sid = S.sid)

Find sailors such that (line 1)

There is no boat without (line 2)

a Reserves tuple showing that sailor S reserved boat B

DML: Aggregate operators

- Significant extension to Relational Algebra
 - Operators: count, avg, stdev, min, max, sum
 - Examples count(*) , count([DISTINCT] FIELD), SUM([DISTINCT]FIELD), AVG([DISTINCT]FIELD), MIN(A), MAX(A)
 - SELECT COUNT(*) FROM Sailors S
 - SELECT AVG(S.age) from Sailors S where S.rating = 10
 - SELECT S.name from Sailors S where S.rating = (SELECT MAX(S2.rating) from Sailors S2)

DML: Examples of Aggregators

- SELECT AVG(Distinct S.Age) from Sailors S where S.rating=10
- Interpretation of Query?
- A particular age can only contribute once to the average
- SELECT AVG(S.Age) from Sailors S where S.rating=10
- Interpretation of Query?
- Every person's age contributes to the average (50 Sailors 50 numbers contribute to the average

Complete SELECT command

- SELECT [DISTINCT | ALL] <column-list> FROM <table-names> [WHERE <condition>] [ORDER BY <column-list>] [GROUP BY <column-list>] HAVING <condition>] [ORDER BY <columnlist>]
 - (optional [], **|** or)
- Still need to introduce group by, order by and having
 - Next meeting