6 November 2014 Analysis I Paul E. Hand hand@rice.edu

HW 10

Due: Nov 11 in class. Justify all of your work.

- 1. VIII.4.2
- 2. IX.2.5
- 3. IX.2.9
- 4. IX.3.4
- 5. IX.3.6
- 6. IX.5.2
- 7. IX.5.7
- 8. True or false: The alternating harmonic series can be rearranged into an infinite series that diverges (has unbounded partial sums). Prove your answer.
- 9. Find a sequence $\{a_n\}$ in an incomplete normed vector space such that $\sum_{n=1}^{\infty} ||a_n||$ converges, yet $\sum_{n=1}^{\infty} a_n$ does not converge (to an element of the space).